

**Erratum: From graphene to graphite: A general tight-binding approach for
nanoribbon carrier transport**
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In our paper we misstated that, “semiclassical transport is applicable when the carrier mean free path between scattering events is much larger than the ribbon length L .” The correct statement is that “semiclassical transport is applicable when the mean free path between scattering events is much *smaller* than the ribbon length L .”

We also miswrote our final expression for the nanoribbon conductance G . The correct expression is¹

$$G[n] = \frac{en}{\hbar FL} \frac{\sum_k f_k[n] \partial_k \varepsilon_k}{\sum_k f_k[n]} = \frac{en v_F}{FL} \frac{\sum_k \text{sgn}(k) f_k[n] \left(1 + \frac{\varepsilon_{gap}^2}{4\hbar^2 v_F^2 k^2}\right)^{-1/2}}{\sum_k f_k[n]}.$$

Our simulated nanoribbon conductance data relied on the first, more fundamental expression, which sums over $\partial_k \varepsilon_k$ using the band data directly. The second expression, which assumes our parameterized model in ε_{gap} and v_F from Eq. (2), should have included the exponent $-1/2$ on the band-gap dependent term. Since we actually use the first expression in our numerical work, the rest of the paper is correct, and our conclusions remain the same.

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¹G. Pennington and N. Goldsman, Phys. Rev. B **68**, 045426 (2003); G. Pennington, N. Goldsman, A. Akturk, and A. E. Wickenden, Appl. Phys. Lett. **90**, 062110 (2007).